

Calculation Policy

Status	Non-Statutory		
Responsible Directors' Committee	Board of Directors		
LGB Committee	Local Governing Board		
Responsible Persons	Sarah Cope in conjunction with members of		
	Maths Network		
Date Policy Agreed	Spring 2022		
Last Review Date	-		
Next Review Date	Spring 2023		



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Version Control

Version	Revision Date	Revised by	Section Revised



Introduction

This policy has been largely adapted from the White Rose Maths Hub Calculation Policy with further material added. It is a working document and will be revised and amended as necessary. This is a product of collaboration between all Exceed Maths Leaders and supports, unifies enhances the approaches already in place.

The purpose of a shared approach is to support teacher understanding and pedagogy; ensure there is consistency to support moderation and year group networks and to support more collaborative training/coaching opportunities within Mathematics.

Documents to further support the Teaching and Learning of Maths created/distributed by colleagues within the Maths Network are:

- 1. Diagnostic Assessment Document
- 2. Mental Maths & Arithmetic Progression Document
- 3. Teacher Prompt Document
- 4. Sentence Stems
- 5. Knowledge Organisers

Manipulatives

Throughout the policy examples of concrete and pictorial examples are shared. These are not an exhaustive list. Through using the accompanying Teacher Prompt Document individual teachers will be able to consider precisely which manipulatives and models need to be used with each particular group of pupils. Manipulatives and pictorial models should be used in every year group for all abilities when introducing a new concept to ensure children can underpin their knowledge securely.

Everyday objects are also invaluable to support children's learning to keep interest and help them understand that Maths is everywhere for example:

- 1. Pebbles
- 2. Marbles
- 3. Milk tops
- 4. Bun tins
- 5. Paper straws
- 6. Cotton Balls

- 7. Playdough
- 8. Lollipop Sticks
- 9. Dried Beans
- 10. Toy Cars
- 11. Fruit
- 12. Lego

Bar Modelling

The bar model is used to help children to 'see' mathematical structure. It is not a method for solving problems, but a way of revealing the mathematical structure within a problem and gaining insight and clarity to help solve it. It supports the transformation of real-life problems into a mathematical form and can bridge the gap between concrete mathematical experiences and abstract representations. It should be preceded by and used in conjunction with a variety of representations, both concrete and pictorial, all of which contribute to children's developing number sense. It can be used to represent problems involving the four operations, ratio and proportion. It is also useful for representing unknowns in a problem and as such can be a precursor to more symbolic algebra.

It is helpful to introduce children to the bar model as part of a sequence of learning so they can connect their understanding of the real world to this mathematical representation. Bar modelling should be used when introducing problem solving physical or abstract to pupils to see the Maths from Year 1 -Year 6. These can be introduced alongside practical resources and/or acting out the problem. The problem and use of bar models can then be built upon year on year and become more complex through to Year 6.





Addition Year 1

Objective & Strategy	Concrete	Pictorial	Abstract
Combining two parts to make a whole: part-part-whole model	Use part-part-whole model.	3 yhole 2 7 2 3 Balls 2 Balls 2 Balls 2 1	4 7 3 $4 + 3 = 7$ Four is a part, 3 is a part and the whole is seven.
	as a group or in a bar.	Use pictures to add two numbers together as a group or in a bar.	10 = 6 + 4 Use the part-part-whole diagram as shown above to move into the abstract.
Starting at the bigger number and counting on	Start with the larger number on the bead string and then count on to the smaller number 1 by 1 to find the answer.	1 2 3 4 5 6 7 8 9 10 Start at the larger number on the number line and count on in ones or in one jump to find the answer.	5 + 12 = 17 Place the larger number in your head and count on the smaller number to find your answer.





Addition Year 2

Objective & Strategy	Concrete	Pictorial	Abstract
Adding multiples of ten.	50 = 30 + 20		20 + 30 = 50 70 = 50 + 20
	Model using dienes and bead strings.	3 tons + 5 tons = tons 30 + 50 = Use representations for base ten.	40 + 🗆 = 60
Use known number facts	Children explore ways of making numbers within 20.	20 - = = = = = = = = = = = = = = = = = =	+ 1 = 16 $16 - 1 = 1 + = 16 16 - = 1$
Using known facts		$\begin{array}{cccc} \vdots & + & \vdots & = & \vdots \\ & & & & & \\ & & & & & \\ & & & & &$	3 + 4 = 7 Leads to 30 + 40 = 70 Leads to 300 + 400 = 700









Exceed Learning Partnership
• EVERY CHILD • EVERY CHANCE • EVERY DAY •

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		Tens	Units	• EVERY CHILD • Children move to dra using a tens and one	EVERY CHANCE • EVERY DA awing the counters frame.	AY •	
Column Addition – with regrouping	Exchang and plac	te ten ones for a ten ce value counters.	Units	Children to draw a regrid to further suppor understanding, carry underneath the line.	1 epresentation of the ort their ring the ten	20 + 5 $40 + 8$ $60 + 13 = 73$ Start by partitioning the formal column to show	$\begin{array}{r} 36 \\ + 85 \\ 121 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\ 1 \\$

Addition Year 3-6

Subtraction Year 1

Objective & Strategy	Concrete	Pictorial	Abstract
Taking away ones.		* * * * *	7 – 4 = 3
	6-4=2		16 – 9 = 7
	4-2=2	$\Delta \Delta \Delta \Delta = 12$	
	Use physical objects, counters, cubes etc	Cross out drawn objects to show what has	
	to show now objects can be taken away.	been taken away.	
Counting back.			Put 13 in your head, count back 4.
		5 - 3 = 2	What number are you at?
	Move objects away from the group, counting backwards.	0 1 2 3 4 5 6 7 8 9 10 Count back in ones using a number line.	
	Move the beads along the bead string as		
	you count backwards.		

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$\begin{array}{c} \bullet \bullet \bullet \bullet \bullet \\ \bullet \bullet \bullet \bullet \bullet \bullet \\ \bullet \\ \bullet \bullet \\ \bullet \\$	• EV	14 - 5 = 9	
Make 14 of the ten frame. Take 4 away to make ten, then take one more away so that you have taken 5.		4'' 1 14 - 4 = 10	
	Children to present the ten frame pictorially and discuss what they did to make 10.	10 - 1 = 9 Children to show how they can make 10 by	1
	13 - 7 $13 - 7 = 6$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $3 4$ $4 5 6$ $3 6 7$ $4 5 6 7$ $4 6 7$ $4 6 7$ $4 6 7$ $4 6 7$ $4 6 7$ $4 6 7$ $4 6 7$	16 — 8 How many do we take off first to get to 10? How many left to take off?	-
Bar Model.	as the stopping point.	8 2	
5 – 2 = 3		10 = 8 + 2 10 = 2 + 8	
		10 - 2 = 8 10 - 8 = 2	

Subtraction Year 2

Objective & Strategy	Concrete	Pictorial	Abstract
Regroup a ten into ter ones	Use a place value chart to show how to change a ten into ten ones. Use the term "take and make".	9000 20 - 4 =	20 – 4 = 16
Partition to subtract without regrouping (friendly numbers).	34 – 13 = 21	43-21 = 22Children draw representations of dienes and cross off.	43 – 21 = 22

Subtraction Year 3-6

Exceed Learning Partnership RY DAY 294,382 182,501 ? 294,382 182,501 ? Year 5 and 6 Tenths Hundredths Ones • 5.43 - 2.7 = 2.73Subtract numbers 2.7 ? 001 001 001 01 01 01 01 with up to 3 decimal places ⁴ 5.43 5.43 <u>- 2.7</u> 2.73 Ones Tenths Hundredths 5.43 2.7 000 ? 5.43 2.7 ?

Objective & Strategy	Concrete	Pictorial	Abstract
Doubling.	$\begin{array}{c} \hline & \bullet & \bullet \\ \hline & \bullet \\ \hline & \bullet & \bullet \\ \hline \hline & \bullet \\ \hline & \bullet \\ \hline & \bullet \\ \hline \hline & \bullet \\ \hline \hline & \bullet \\ \hline & \bullet \\ \hline & \bullet \\ \hline &$	Double 4 is 8	16 10 I_{x2} 20 I_{x2} I_{x3} $I_$
Counting in multiples.	demonstrate doubling.	2 2 2 2 2 4 4 5 8 10 12 14 16 18 20 Children make representations to show counting in multiples.	Count in multiples of a number aloud. Write sequences with multiples of number. 2, 4, 6, 8, 10 5, 10, 15, 20, 25, 30
Making equal groups and counting the total		Draw \bigcirc to show 2 x 3 = 6 Draw and make representations.	2 x 4 = 8

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	Use manipulatives to create equal groups.	• EVERY CHILD • EVERY CHANCE • EVERY DA	Y •
Repeated addition	Use different objects to add equal group.	88 88 88 Image: Second state Image: Second state Children to represent the practical resources in a picture and use a bar model.	Write addition sentences to describe objects and pictures.
Understanding arrays	Use objects laid out in arrays to find the answers to 2 lots of 5, 3 lots of 2 etc.	Draw representation of arrays to show understanding.	$10 = 2 \times 5$ 5 \times 2 = 10 2 + 2 + 2 + 2 + 2 = 10 10 = 5 + 5 Children to be able to use an array to write a range of calculations.

Objective & Strategy	Concrete	Pictorial	Abstract
Doubling	40 + 12 = 52 Model doubling using dienes and place value counters.	Draw pictures and representations to show how to double numbers.	16 10 10 10 10 10 10 10 10
Counting in multiples of 2, 3, 4, 5, 10 from 0 (repeated addition)	5+5+5+5+5+5+5=40 Count the groups as children are skip counting. Children may use their fingers as they are skip counting. Use bar models.		$4 \times 3 = $ Count in multiples of a number aloud. Write sequences with multiples of numbers. 0, 2, 4, 6, 8, 10 0, 3, 6, 9, 12, 15 0, 5, 10, 15, 20, 25, 30

Multiplication is commutative

Using the inverse This should be taught alongside division, so pupils learn how they work alongside each other.

Create arrays using counters and cubes and numicon.

Pupils should understand that an array can represent different equations and that, as multiplication is commutative, the order of the multiplication does not affect the answer.

12 =	3 x 4	
12 =	4 x 3	

Use an array to write multiplication sentences and reinforce repeated addition.

Use representative of arrays to show different calculations and explore commutativity.	5+5+5=15 3+3+3+3+3=15 5 x 3 = 15 3 x 5 = 15
$ \begin{array}{c} 8\\ 4\\ 2\\ \hline \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\ \\$	$2 \times 4 = 8$ $4 \times 2 = 8$ $8 \div 2 = 4$ $8 \div 4 = 2$ $8 = 2 \times 4$ $8 = 4 \times 2$ $2 = 8 \div 4$ $4 = 8 \div 2$ Show all 8 relevant fact family sentences.

Objective & Strategy	Concrete	Pictorial	Abstract
Grid method.	A rows of 10 4 rows of 3 5 3 3 4 rows of 13 4 rows of 13 4 rows of 13 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5 5	Children can represent their work with place value counters in a way that they understand. They can draw the counters using colours to show different amounts or just use the circles in the different columns to show their thinking as shown below. 4 x = 20 20 4 Bar models are used to explore missing numbers.	\mathbf{x} 30 5 7 210 35 $210 + 35 = 245$ Start with multiplying by one digit numbers and showing the clear addition alongside the grid. 10 80 30 24 100 80 30 24 100 80 30 24 100 80 30 24 100 80 30 24 100 80 30 24 100 80 30 24 100

Objective & Strategy	Concrete	Pictorial	Abstract						
Grid method recap from Year 3 for two digit x one-digit	Move on to place value counters to show how we are finding groups of a number. We are multiplying by 4 so we need 4 rows.			×305721035210 + 35 = 245Start with multiplying by one-digit numbers and showing the clear addition alongside the grid.					dition
Column multiplication (two-digit by one- digit)	Children can continue to be supported by place value counters at the stage of multiplication. This initially done where there is no regrouping. 321 x 6 = 642 Does this mean 321 x 2? It is important at this stage that they always multiply the ones first. The corresponding long multiplication is modelled alongside.	Hundreds Tens Ones Image: Object of the second sec	H × + 1	T 3 2 5 7	0 4 5 0 0	(5 ×	× 4) 30)		

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	Hundreds Tens Ones EVERY CHILD	EVERY CHANCE • EVERY DAY	H	ιт	ο		Τ	
		_		3	4		1	
			×		5		T	
				7	0		Ť	
				2		-		
Column multiplication	Hundreds Tens Ones Hundreds Te				н	т	0	
(three-digit by one- digit)					2	4	5	
aigit)		00000		×			4	
		0			9	8	0	
					1	2		

Objective & Strategy	Concrete	Pictorial	Abstract
Column multiplication for three and four-digit x one-digit		Thousands Hundreds Tens Dom 100 <	Th H T O 1 8 2 6 × 3 5 4 7 8 2 1
Column multiplication for two-digit x two-digit			$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$

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• EVERY CHILD • EVERY CHANCE • EVERY DAY •				
		н	то	
			2 2	
		×	3 1	
			2 2	
		6	6 0	
		6	8 2	
	×	200	30	4
	30	6,000	900	120
	2	400	60	8
				6000 900 120 400 60 <u>+ 8</u> 7488

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	• EVERY CHILD • EVERY CHANCE • EVERY DAY •	Th	н	т	0		
			2	3	4		
		×		3	2		
			4	6	8		
		1 7	10	2	0		
		7	4	8	8		
Multiply four- digit numbers		TTh	Th	н	т	ο	
by two-digit			2	7	3	9	
		×			2	8	
		22	1 5	9 3	1 7	2	
		5 1	4	7	8	0	
		7	6	6	9	2	
				1			

Objective & Strategy	Concrete	Pictorial	Abstract						
Multiplying numbers with up to two decimal places by a single digit.			$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	git up the the					

Division Year 1

Objective & Strategy	Concrete	Pictorial	Abstract
Division as sharing	Image: Constraint of the second se		$20 \div 5 = 4$ There are 20 apples altogether. They are shared equally between 5 bags. How many apples are in each bag?
Division as grouping			20 ÷ 5 = 4

Division Year 2

Division Year 3

Objective & Strategy	Concre	te		Pictoria	I	Abstract	
Divide two-digit by one-digit (share with		-		000000		52 ÷ 4 = 13	
exchange)	Tens	Ones	Tens	Ones			
		•••					
		•••					
				000			
			$ \begin{array}{c} 52\\ 40\\ \div 4\\ 10\\ 10+3 \end{array} $	$) $ $ 12 $ $ \div 4 $ $ 3 $ $ = 13 $			

Division Year 4 - 6

		C
 IVIS	ITE	arn

Objective & Strategy	Concrete	Pictorial	Abstract								
Divide multi digits by two- digits (short division)		0 4 8 9 7,335 \div 15 = 489 15 7 7_3 13_3 13_5 15 30 45 60 75 90 105 120 135 150	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$								
Divide multi- digits by two- digits (long division)			$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$								

 Exceed Learning Partnership									
• EVERY CHILD • EVERY CHANCE • EVERY DAY •			0	4	8	9	,		
		15	7	3	3	5			$1 \times 15 = 15$
		-	6	0	0	0	1	(×40	$_{0}$ 2 × 15 = 30
			1	3	3	5			$3 \times 15 = 45$
		-	1	2	0	0	1	(×80	$4 \times 15 = 60$
				1	3	5			$5 \times 15 = 75$
		-		1	3	5	i I	(×9)	$10 \times 15 = 150$
						0	,		
t I I I I I I I I I I I I I I I I I I I	Alternative "chunking" method to be used to only support with pupils needing identified as needing additional support/ alternative strategy								
					2	4	r	1	2 1 × 15 - 15
		1	5	3	7	2	-		$2 \times 15 = 30$
			_	3	0	0	-	+	$3 \times 15 = 45$
					7	2	+	+	$4 \times 15 = 60$
			_		6	0		+	5 × 15 = 75
					1	2	+	+	$-10 \times 15 = 150$

Signed CEO:

Signed Chair of Directors:

Policy to be reviewed: Spring 2023